

Series of exercise 04

Special relativity and Electromagnetism

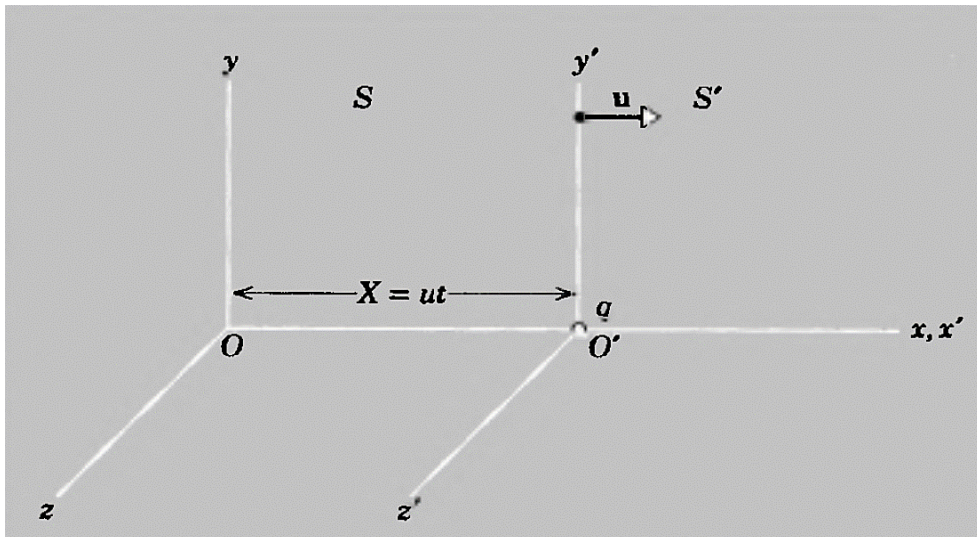
Exercise 01:

- In a given frame (R), the electromagnetic field is purely electric: $\vec{E} \neq 0$; $\vec{B} = 0$. Describe this field in another frame (R') moving with a velocity \vec{u} along x-axis with respect to (R).
- In a given frame (R), the electromagnetic field is purely magnetic: $\vec{E} = 0$; $\vec{B} \neq 0$. Describe this field in another frame (R') moving with a velocity \vec{u} along x-axis with respect to (R).

Indication: Use L.T of electromagnetic field under vector form

Exercise 02:

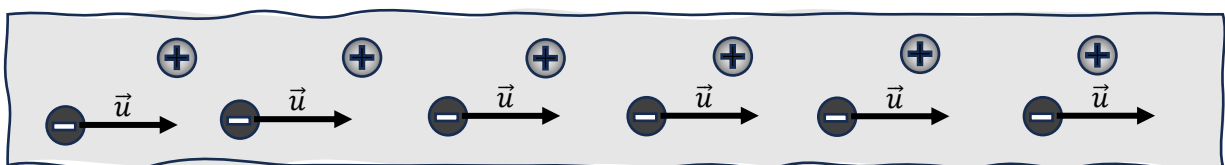
A point charge is moving within an inertial frame (S) as shown in the figure below, with a velocity \vec{u} along OX . A moving frame (S') is attached to this charge.



- What is the most convenient frame to describe the E.M field of this point charge, in the most possible simple way?
- Deduce the expression of E.M field in the other frame, by using corresponding x.T.

Exercise 03:

On the figure below, we sketch an electrical current within conducting wire (S). The free charges (electrons) are moving in the OX direction with a velocity \vec{u} . These electrons ($-e$) leaving behind fixed positive ions ($+e$). The both types of charge are present with same density n .



- What is the total density of charges within this conducting wire?
- Deduce the current density in this wire.
- By using the L.T of the four-vector charge-current, retrieve the new density of charge within a moving frame (S') with a velocity \vec{v} along OX direction.