### **CHAPTER 2**

# **Mutual exclusion between processes**

- **PROBLEM**: To avoid any incorrect use of a **critical resource**, the sequences of instructions that manipulate it (**critical section**) in the different processes must never be executed simultaneously. The critical sections of each process must be executed in **mutual exclusion**.
- **SOLUTION:** A control must take place during the use of this type of resource. This control consists of a protocol that frames the critical sections with special instruction sequences.



- The sequence of instructions that precedes the critical section is called the acquisition protocol. It aims to verify that the process's access to its critical section is possible and also to deny other processes access to their critical sections.
- The sequence of instructions that follows the critical section is called the release protocol. It makes access to the critical resource possible.
- The insertion of control protocols is left to the programmer. For this purpose, concurrent programming languages offer adequate concepts such as (Semaphores, monitors).
- Mutual exclusion of processes in their critical sections is only guaranteed if the acquisition and release protocols are used correctly.

- The construction of mutual exclusion protocols is a complex task. In fact, poorly constructed acquisition and release protocols can lead to the following problems:
- **DEADLOCK:** Deadlock is a situation in which processes cannot progress any further due to a lack of resources.
  - Each process holds resources that the other process needs.
- **STARVATION:** Starvation is a situation in which some processes are indefinitely blocked while other processes access their critical sections according to their needs.
  - Some processes never access their critical sections.

 Controlling competition between processes is equivalent to finding a solution to the mutual exclusion problem. Any solution to the mutual exclusion problem can be decomposed into three steps:



 There are many different approaches to solving the mutual exclusion problem. However, any solution must guarantee the following four properties, as stated by Di *DIJKSTRA*.

# **DIJKSTRA'S FOUR PROPERTIES**

- 1. MUTUAL EXCLUSION: Only one process can be in its critical section at a time.
- **2.PROGRESS:** If no process is in its critical section, a process waiting to enter its critical section must be able to do so after a finite amount of time. In other words, the critical section is always reachable.
- **3.BOUNDED WAITING:** If a process is blocked outside of a critical section, this blocking must not prevent the entry of another process into its critical section.
- **4.DEADLOCK FREEDOM:** There will never be a situation in which two or more processes are waiting for each other to release a resource. Slide 7 of 21

### **ALGORITHMIC SOLUTION TO THE**

#### **MUTUAL EXCLUSION PROBLEM**

**HYPOTHÈSE**. The hypothesis states that we are considering two processes, **PO** and **P1**, which compete for a critical resource **R**. The two processes are defined by the following program:

 The program uses the Parbegin and Parend instructions to execute the two processes in parallel.

- 1. Program gestprocess;
  - 1. {Declaration of common variables to PO and P1}
  - 1. Process PO;
    - 1. {Declaration of local variables to PO}
  - 2. BEGIN
  - 3. // Code executed before entering the critical section
  - 4. ...
  - 5. Section critique/R;
  - 6. ...
  - 7. // Code executed after exiting the critical section
  - 8. End;
  - 9. Process P1;
    - 1. {Declaration of local variables to P1}
  - 10. BEGIN
  - 11. // Code executed before entering the critical section
  - 12. ...
  - 13. Section critique/R;
  - 14. ...
  - 15. // Code executed after exiting the critical section16. End;
- 2. BEGIN
  - 1. {Initialization of common variables}
  - 2. PARBEGIN
  - 3. PO; P1;
  - 4. PAREND;
- 3. End;

### • FIRST SOLUTION: ALTERNATION

This solution uses a shared variable called Tour to determine which process is allowed to enter the critical section. The value of Tour is either 0 or 1, and the process with the corresponding number is allowed to enter the critical section.

- **Var** Tour: (0,1)
- Tour is initialized to 0 or 1.

Process P0 ;	Process P1 ;
BEGIN	BEGIN
;	;
While tour <> o do; Acquisition -> While tour <> 1 do;	
Critical Section / R;	Critical Section / R;
tour := 1; ← Release	→ tour := 0;
;	;
End ;	End ;

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#### FIRST SOLUTION: ALTERNATION



- **Note:** There is an **active wait** in the while loop, where the process repeats the same actions without results.
- **Critique:** The second property of Dijkstra is not satisfied.
- Conclusion: False solution.

### • SECOND SOLUTION: PROCESS REQUESTS

- The first solution does not take into account the wishes of the processes, but only the permission granted to one or the other. To avoid a process remaining waiting for another that does not want to access its critical section, the shared variable Tour can be replaced by a table of indicators called drapeau. The process **Pi** that wants to access its critical section sets its flag to the value **True**.
  - Var Drapeau : array[0..1] of boolean ;
  - drapeau is initialized to false for all processes.(for i:=0 to 1 do drapeau [i]:= false;)

# SOLUTION ALGORITHMIQUE AU PROBLÈME D'EXCLUSION

### MUTUELLE



- **CRITIQUE**. The first property of Dijkstra is not satisfied.
- Conclusion. False solution

#### • THIRD SOLUTION:

 In the second solution, processes P0 and P1 can simultaneously access the table of indicators. To remedy this, the two instructions (test and assignment) are swapped. In this case, the table of indicators no longer has the same meaning.



- Critique: The second property of Dijkstra is not satisfied.
- \*\*If both processes execute the first assignment simultaneously, they will then mutually block each other, making the critical section unreachable.
- **Conclusion:** False solution.

- FOURTH SOLUTION: PETERSON'S ALGORITHM
- In this solution, proposed by Peterson, the first and third propositions are combined. The shared variables are drapeau and Tour.
  - Vars:
    - drapeau[0] and drapeau[1] are initialized to false.
    - Tour is initialized to a value of 0 or 1.

#### **FOURTH SOLUTION:** PETERSON'S ALGORITHM

```
Process P0;
                                      Process P1;
BEGIN
                                       BEGIN
       .....;
                                          drapeau [0]:= true;
                                         drapeau [1]:= true;
  tour:= 1;
                                          tour:= 0;
   While (Drapeau[1]) and (tour=1) do;
                                          While (Drapeau[0]) and (tour=0) do;
     Critical Section /R;
                                           Critical Section /R;
                                         drapeau [1]:= false;
  drapeau [o]:= false;
                                          .......
End;
                                       End ;
```

 CRITIQUE. Correct solution because the four Dijkstra properties are satisfied.

## HARDWARE SOLUTION TO THE MUTUAL EXCLUSION PROBLEM

- A. CASE OF A SINGLE-PROCESSOR MACHINE. Critical sections must
  - be made indivisible by masking interrupts during their

execution.

Process Pi BEGIN

...

**Disable interrupts** Critical section **Enable interrupts** 

END

 <u>NB</u>: Masking and unmasking interrupts can quickly become penalizing for the operating system.

### 4. SOLUTION MATÉRIELLE AU PROBLÈME D'EXCLUSION MUTUELLE



CASE OF A MULTIPROCESSOR MACHINE. Machines offer special atomic he mutual exclusion problem for a given variable. irantee the test and update of a variable or the ts of two variables in a single memory cycle.

instruction, also known as TAS for the English
 id Set, can be assimilated to the following function:

Function TAS (Var cible : boolean) : Boolean; Begin

Tas:=cible:

Cible:=true;

End;

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### 4. SOLUTION MATÉRIELLE AU PROBLÈME D'EXCLUSION MUTUELLE

### B. CASE OF A MULTIPROCESSOR MACHINE.

- The **SWAP** instruction
- It can be assimilated to the following procedure:

Procedure **SWAP** (Var R,M :boolean); Var temp: Boolean; **Begin** Temp:=R; R:=M; M:=temp; **End;** 

 The TAS and Swap instructions are executed atomically. Therefore, if two processes execute these instructions simultaneously, one of them will be blocked.

### • **4.1 SOLUTION TO THE MUTUAL EXCLUSION PROBLEM USING TAS.**

- Let *lock* be a common variable to the processes and it is concerned by the critical section.
  - Var lock : boolean ;
  - lock := false ;

Process Pi BEGIN

- - -

While TAS(lock) Critical section lock := False;

END

### • **4.2 SOLUTION TO THE MUTUAL EXCLUSION PROBLEM USING SWAP**.

- Var verrou : boolean ;
- Verrou :=false ; Process Pi; Var key: Boolean; **Begin** key := true; **Repeat SWAP (lock, key); until key = false;** Critical section; lock := false; . . . End;