

Series No. 04: derivatives

Exercise 01: Let the f function be as follows :

$$f(x) = \begin{cases} 1 + x\sqrt{x} & : \text{si } x \geq 0 \\ 1 + \ln(1 + x^2) & : \text{si } x < 0 \end{cases}$$

1. Find the definition area of the f . Function.
2. To study the derivability of the f ' , function is f' continue?
3. Apply, if possible, the terminated f Apply, if possible, the terminated $[-1; 1]$.

Exercise 02:

Create critical and maximum values for the following functions:

$$g(x) = \frac{x}{x^2+1} \quad ; \quad f(x) = (x-1)^2(x+1)$$

Exercise 03:

:Derivatives from Class 2 have been identified for the following functions

$$g(x) = \frac{1}{2-x} \quad ; \quad h(x) = x^3(x+1)^2 \quad ; \quad f(x) = \sqrt{x^2-4}$$

Exercise 04:

n Derivatives for the following functions were identified:

$$f_1(x) = x^4 + x^3 ; f_2(x) = xe^{ax} ; f_3(x) = x^2 \ln(x)$$

Exercise 05:

Let the f function be as follows:

$$\begin{aligned} f: x &\rightarrow [x; x + 1] & [x; x + 1] &\subset \mathbb{R}_+^* \\ f: x &\rightarrow \ln x \end{aligned}$$

Using the terminated augmentation theory between:

$$\frac{1}{x+1} < \ln(x + 1) - \ln x < \frac{1}{x}$$